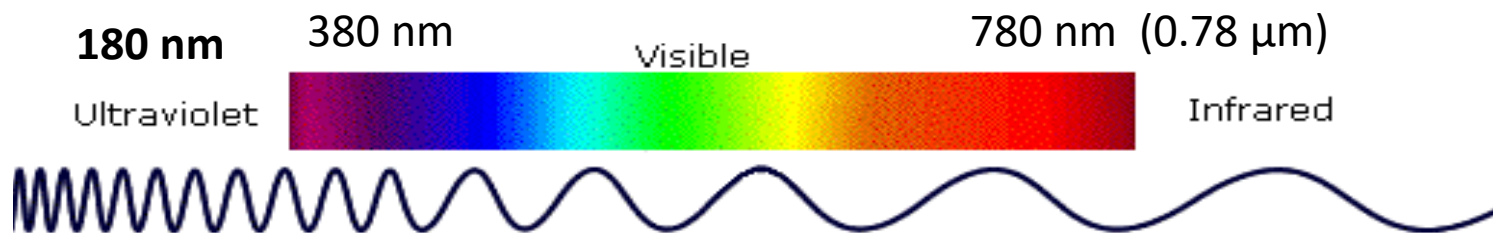


**INFRARED (IR)  
SPECTROSCOPY**

- ❖ Infrared spectrum is an important record which gives sufficient information about the structure of a compound.
- ❖ The ordinary infrared region covers  $4000\text{ cm}^{-1}$  to  $667\text{ cm}^{-1}$ .
- ❖ Infrared spectra of organic compounds are plotted as percentage transmittance against wave number.



Region	Energy (kJ/mol)	Wavenumber ( $\text{cm}^{-1}$ )	Wavelength ( $\mu\text{m}$ )
Near IR	150-50	12,800-4000	0.78-2.5
Mid IR	50-2.5	4000-200	2.5-50
Far IR	2.5-0.1	200-10	50-1000

## Interaction of Molecules with IR Radiation

**Vibrational frequencies** of molecules correspond to the **frequencies of absorbed radiation**.

i.e. Infrared light is absorbed when the **oscillating dipole moment** (due to molecular vibration) interacts with the **oscillating electrical vector** of the infrared beam.

Band intensities are expressed as **transmittance (T)**  
( $T = I/I^\circ$ )

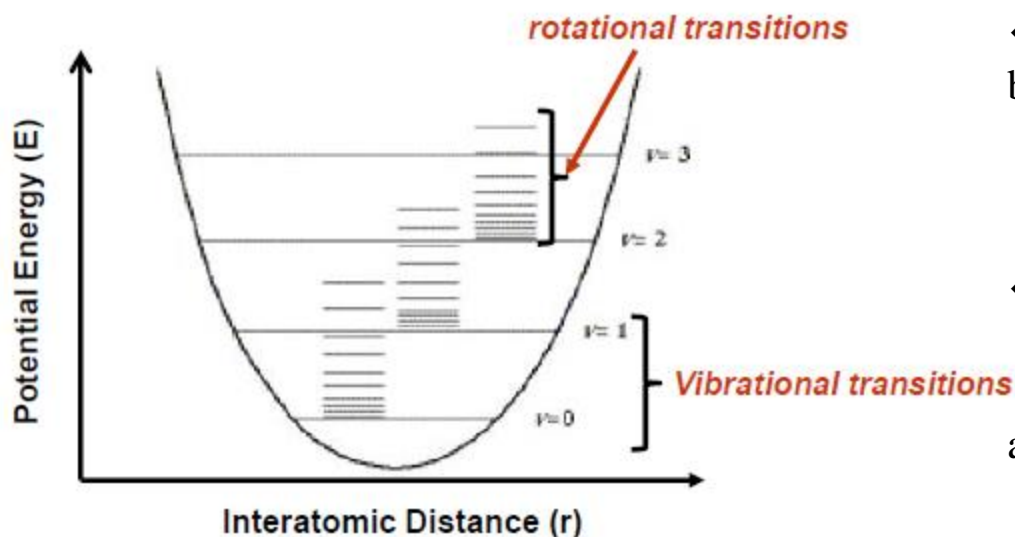
$I$  = intensity of light **transmitted**

$I^\circ$  = Intensity of **initial light** from the source

## Principle of IR spectra

❖ The absorption of IR radiation causes an excitation of a molecule from lower to higher vibrational level. We know that each vibrational level is associated with a number of closely spaced rotational level. So IR spectra is considered as **vibrational-rotational spectra**.

❖ Only those bonds which are accompanied by **a change in dipole moment** will absorb in the IR region.



❖ Vibrational transitions of C=O, N-H, O-H bands are accompanied by a change in dipole moment and thus absorb strongly in the IR region.

❖ But transitions in C-C bonds in symmetrical alkene and alkynes are not accompanied by change in dipole moment and hence do not absorb in IR region.

## **The energy in the IR region, absorbed by a molecule depends on**

1. Masses of the atom present in the molecule.
2. Strength of the bond.
3. The arrangements of atoms in the molecule.

*No two compounds except the enantiomers can have similar Infrared Spectra*

When Infra-red light is passed through the sample, the vibrational and the rotational Energies of the molecules are increased.

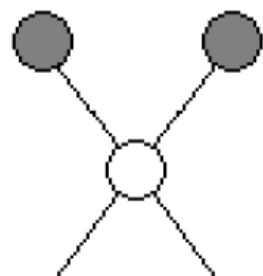
**Two kinds of fundamental vibrations are:**

- 1. Stretching**
- 2. Bending.**

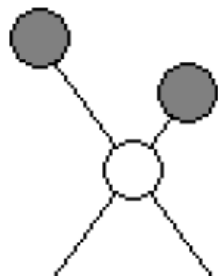
**Stretching absorption of a bond appear at high frequencies than bending absorption of the same bond.**

1) **Stretching**:- a rhythmic movement along the bond axis such that the **interatomic distance** is **increased** or **decreased**.

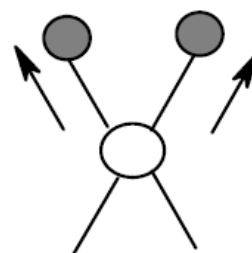
### Stretching vibrations



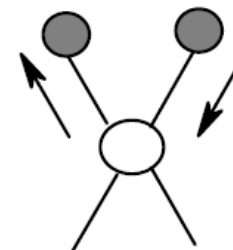
Symmetric



Asymmetric

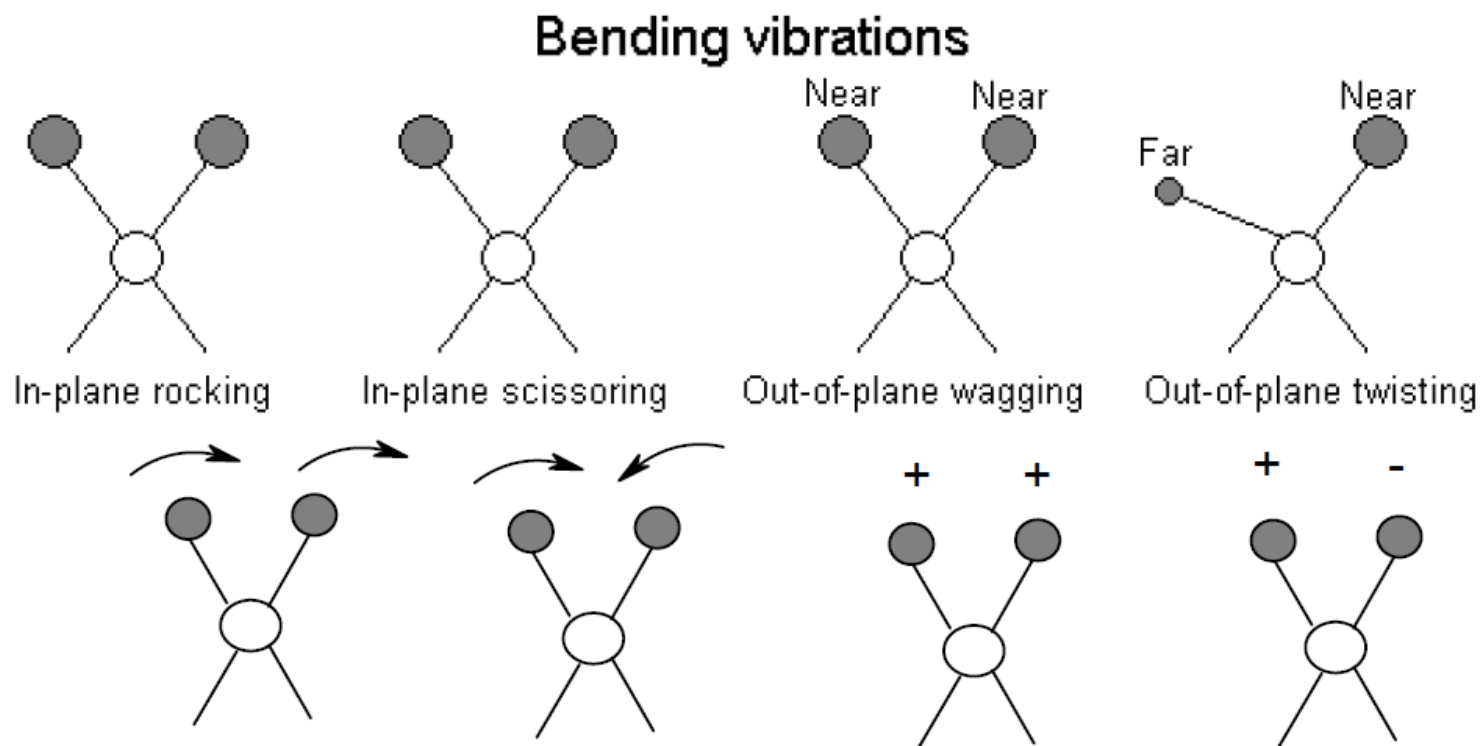


Symmetric



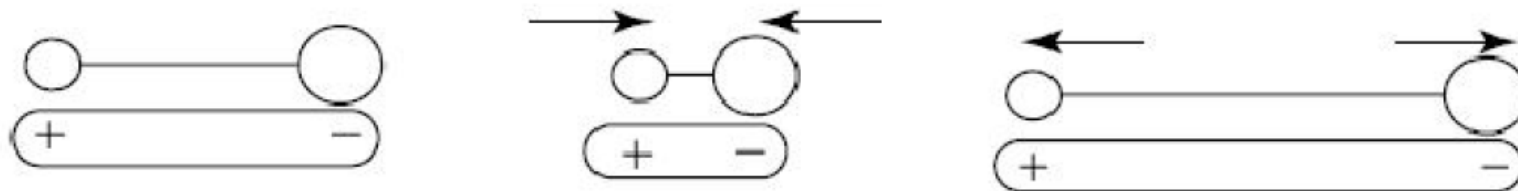
Asymmetric

- 2) **Bending**:- a **change in bond angle** between bonds with a common atom or
- the **movement of a group of atoms** with respect to the remainder of the molecule,
- with out movement of the atoms in the group with respect to one another.

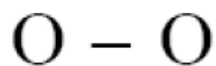


# Selection Rule

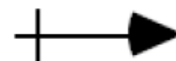
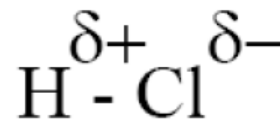
- Only those vibrations that result in rhythmical **change of dipole moment** of the molecule are observed in IR.



Homonuclear diatomic molecules such as  $\text{H}_2$  or  $\text{O}_2$  do not **absorb IR radiation** (they are **IR-inactive**), since there is **no over-all electric (Dipole) moment** in the molecule.



No dipole  
moment





HCl, H<sub>2</sub>O, NO

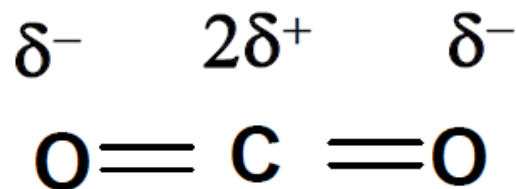
IR active

Atoms, O<sub>2</sub>, H<sub>2</sub>, Cl<sub>2</sub>

IR inactive

- It is **not necessary** for polyatomic molecules to **possess permanent dipole moment** in order to exhibit IR absorption,
- provided that **some polar bonds** are present in the molecule.

## Example

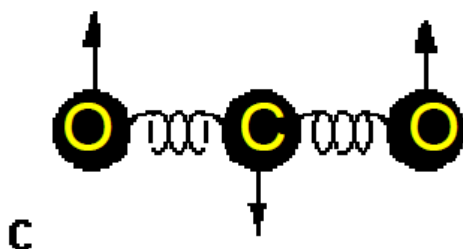




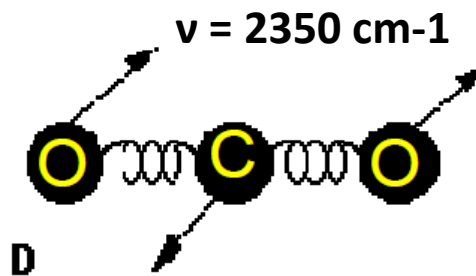
Symmetrical stretching



Anti-symmetrical stretching



In plane bending



Out of plane bending

- A is **not IR active**  $\nu = 667 \text{ cm}^{-1}$
- B, C and D are **IR active**
- its **positive and negative electrical centres** are no longer coincident,
- a **dipole moment** is **temporarily induced**.

# Vibrational frequency

The value of the stretching vibration frequency of a bond can be calculated fairly accurately by the application of Hooke's law which may be represented as:

$$v = \frac{1}{2\pi} \sqrt{\frac{k}{\mu}} = \frac{1}{2\pi c} \sqrt{\frac{k(m_1 + m_2)}{m_1 m_2}}$$

Where:

$$\mu = \text{reduced mass} = \frac{m_1 m_2}{m_1 + m_2}$$

$m_1$  and  $m_2$  are the masses of the atoms concerned in grams in a particular bond

In terms of the wavenumber ( $\bar{\nu}$ )

$$\bar{\nu} = \frac{v}{c} = \frac{1}{2\pi} \sqrt{\frac{k}{\mu}} = \frac{1}{2\pi c} \sqrt{\frac{k(m_1 + m_2)}{m_1 m_2}}$$

**k** is **force constant** of the bond related to the strength of the bond.

**Higher the bond strength higher will be k value.**

$$c = \text{speed of light} = 3 \times 10^{10} \text{ cm/sec}$$

**Force constants (k):**

Single bond =  $5 \times 10^5$  dyne/cm

Double bond =  $10 \times 10^5$  dyne/cm

Triple bond =  $15 \times 10^5$  dyne/cm

## The value of vibrational frequency or wave number depends on

1. Bond strength
2. Reduced mass

**Note:** If the bond strength increases or reduced mass decreases the vibrational frequency increases.

➤ C=C stretching (higher bond strength) absorb at higher frequency than C-C (lower bond strength).

➤ O-H stretching (small reduced mass) absorb at higher frequency than C-C bond (higher reduced mass).

C-N bond	$\bar{\nu} = 1145 \text{ cm}^{-1}$	C-S bond	$\bar{\nu} = 985 \text{ cm}^{-1}$
C=N bond	$\bar{\nu} = 1619 \text{ cm}^{-1}$	C-H bond	$\bar{\nu} = 3023 \text{ cm}^{-1}$
C≡N bond	$\bar{\nu} = 1983 \text{ cm}^{-1}$		

## Number of fundamental vibrations

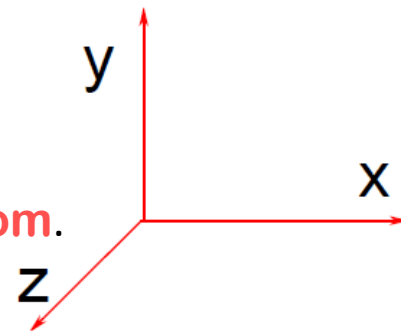
Polyatomic molecules may exhibit more than one fundamental vibrational absorption bands.

The number of fundamental bands is related to the degrees of freedom in a molecule.

The number of degrees of freedom is equal to the sum of the co-ordinates necessary to locate all the atoms of a molecule in space.

□ Molecules of  $n$  atom will have  $3n$  degrees of freedom.

□ A molecule have always 3 translational degrees of freedom.



## **For a linear molecule of n atoms**

Total degrees of freedom =  $3n$

Translational degrees of freedom = 3

Rotational degrees of freedom = 2

Therefore, **vibrational degrees of freedom =  $3n - 3 - 2 = 3n - 5$**

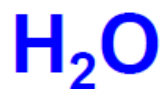
## **For a non-linear molecule of n atoms**

Total degrees of freedom =  $3n$

Translational degrees of freedom = 3

Rotational degrees of freedom = 3

Therefore, **vibrational degrees of freedom =  $3n - 3 - 3 = 3n - 6$**



- Three atoms (non-linear).
- $3 \times 3 = 9$  **degrees of freedom**.
- $3n-6$  (fundamental vibrations).
- $9 - 6 = 3$  (fundamental vibrations).



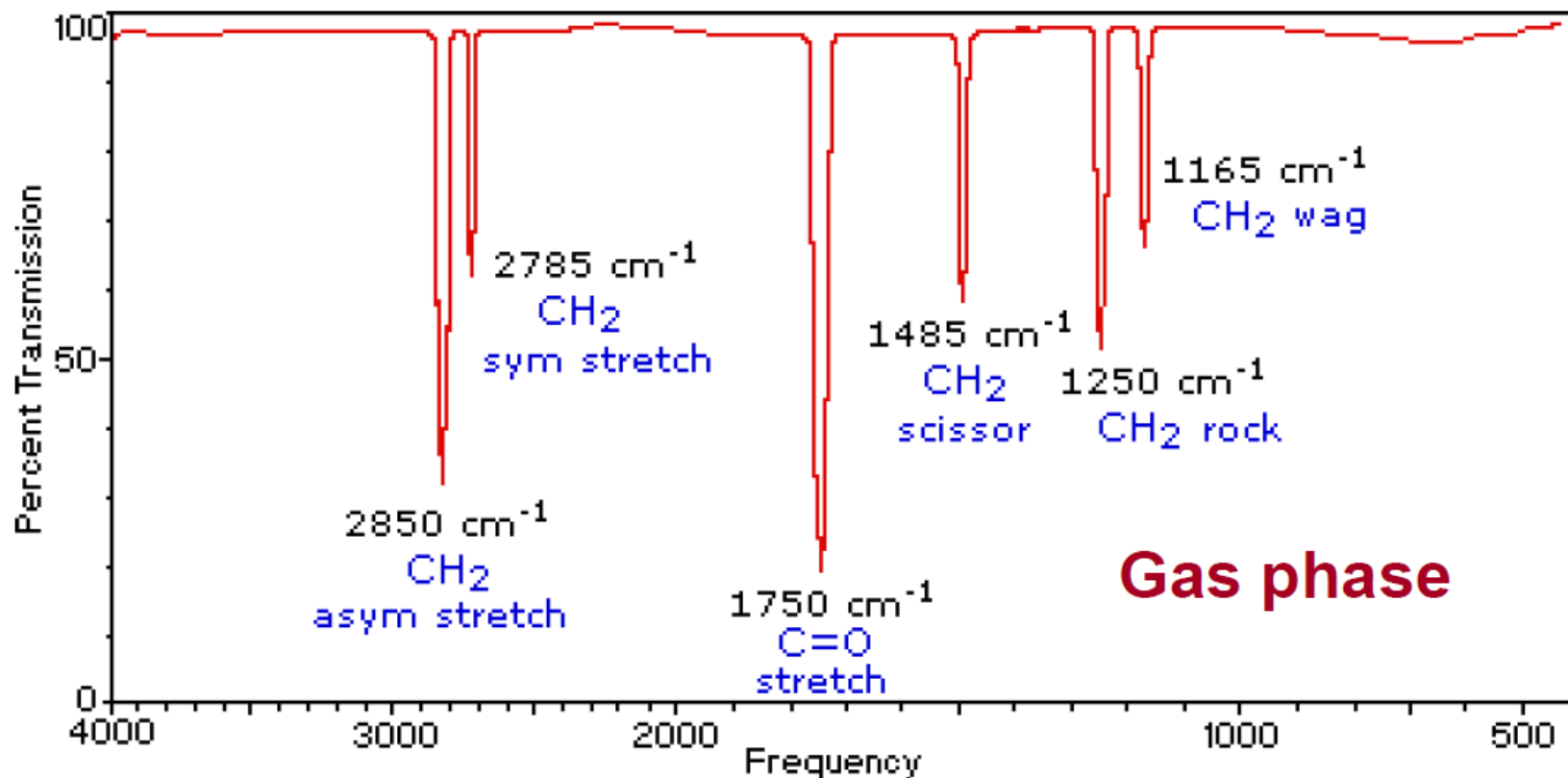
- Three atoms (linear).
- $3 \times 3 = 9$  **degrees of freedom**.
- $3n-5$  (fundamental vibrations).
- $9 - 5 = 4$  (fundamental vibrations).

# Formaldehyde, $\text{H}_2\text{C}=\text{O}$

Four atoms (non-linear).

$3 \times 4 = 12$  degrees of freedom.

$12 - 6 = 6$  (fundamental vibrations).



Contd...